

# Abstractions for Error Masking

# Motivation

Verifying concrete programs is hard!

Can we simplify our programs while preserving correctness guaranties?

# Sound Abstractions

Correct Abstract Program  $\Rightarrow$  Correct Concrete Program

- No false negatives.
- There might be false positives.

# Different Levels of Abstraction

Verification Time

VS

# False Positives

Supported Operations

# Abstraction Level 1: Error Weights

Let  $d_{min}$  be the minimal distance between two codewords.

Track only the number of flips in each variable.

Concrete:

$$z = x + y$$

Abstract:

$$z_{errw} = x_{errw} + y_{errw}$$

Assertion:  $z_{errw} < d_{min}$

# Abstraction Level 2: Concrete Errors

$$z_{err} = x_{err} + y_{err}$$

$$0000 \mathbf{1}000 = 0000 \mathbf{0}100 + 0000 \mathbf{0}100$$

$$0000 \mathbf{0}110 = 0000 \mathbf{00}10 + 0000 \mathbf{0}100$$

Assertion:  $w(z_{err}) < d_{min}$

# Abstraction Level 3: Concrete Errors (refined)

Not all errors with  $d_{min}$  or more flips are undetectable.

If  $z_{err}$  is not a valid codeword we can still detect the error!

Assertion:  $\neg isValid(z_{err})$

# Abstraction Level 4: Concrete Values

Use the concrete values as well as errors.

This allows us to verify multiplication and division.

Assertion:  $\neg isValid(z + z_{err}) \wedge (z_{err} \neq 0)$



# Conclusion

Different abstractions can verify different programs.

Tracking more information, takes more time to verify.

Automatic checking with CPAchecker (a model checker).